## Day 2 Translations Hw

Graph the image of the figure using the transformation given write the algebraic rule and as a vector.

1) translation left 3 units


Algebraic Rule:

Vector:
2) translation 1 unit right and 2 units down


Algebraic Rule:
4) translation 3 units up and one unit left $R(-4,-3), D(-4,0), L(0,0), F(0,-3)$


Algebraic Rule:

Vector:


Algebraic Rule:

Describe each of the transformations below. Then find the coordinates of the vertices of each image.
5) Translation: $(x, y) \rightarrow(x+2, y-1)$
$\mathrm{Q}(0,-1), \mathrm{D}(-2,2), \mathrm{V}(2,4), \mathrm{J}(3,0)$
Vertices of the image:
Description of Transformation:
7) Translation: <-4, 4>
$J(-1,-2), A(-1,0), N(3,-3)$
Vertices of the image:
Description of Transformation:
6) Translation: $(x, y) \rightarrow(x-6, y)$
$D(-4,1), A(-2,5), S(-1,4), N(-1,2)$
Vertices of the image:
Description of Transformation:
8) Translation: $\langle 0,2\rangle$
$\mathrm{Z}(-4,-3), \mathrm{I}(-2,-2), \mathrm{V}(-2,-4)$
Vertices of the image:
Description of Transformation:
9) Write an algebraic rule that describes the translation from the dotted figure to the solid figure.

Rule:

10) Kyle has performed a translation on a certain rectangle, however Mr. Ray is having a hard time reading his work. This is what he can make out:

| Pre-image | Image |
| :---: | :---: |
| $A(-3,-6)$ |  |
| $B(4,-6)$ | $B^{\prime}(1,-4)$ |
| $C(4,5)$ | $C^{\prime}(1,7)$ |
|  | $D^{\prime}(-6,7)$ |

a) What translation does it seem Kyle was performing?

Description:
Rule:

Vector:
b) Find the coordinates of $A^{\prime}$ and D.

## Day 3 Reflections Hw

Graph the image using the transformation given, and give the algebraic rule as requested.


Write a specific description of each transformation and give the algebraic rule, as requested.
7.

8.


Description:

Algebraic Rule:
9. The points $(2,4),(3,1),(5,2)$ are reflected with the rule $(x, y) \rightarrow(x,-y)$.

10. A polygon lies entirely in quadrant II. In which quadrant will the image lie after a reflection over the line $y=x$ ?
11. A polygon lies entirely in quadrant I. In which quadrant will the image lie after a reflection over the line $y=x$ ?
12. In the figure below, what is the image of Point $A$ after it is reflected over the line $B E$ ?

Point A $\rightarrow$ Point $\qquad$

Day 4 Rotations HW

Graph the image of the figure using the transformation given write the algebraic rule.

1) rotation $180^{\circ}$ about the origin

2) rotation $90^{\circ}$ clockwise about the origin

3) rotation $90^{\circ}$ counterclockwise about the origin

4) rotation $180^{\circ}$ about the origin


Remember: A regular polygon is a polygon that is equiangular (all angles are equal in measure) and equilateral (all sides have the same length). In the case of regular polygons the center is the point that is equidistant from each vertex.
Given regular hexagon ABCDEF with center 0,
a. C is rotated $60^{\circ}$ about 0 , what is the image of C ?
b. C is rotated $120^{\circ}$ about 0 , what is the image of C ?
c. C is rotated $180^{\circ}$ about 0 , what is the image of C ?
d. $\overline{D C}$ is rotated $240^{\circ}$ about 0 , what is the image of $\overline{D C}$ ?

e. Explain the significance of the multiples of $60^{\circ}$.

General Rule: The regular hexagon has rotation symmetry with respect to the center of the polygon and angles of rotation that measure $\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$ and $\qquad$ .

## Day 6 Dilations Homework

1. Describe the transformation given by rule $(x, y) \rightarrow(3 x, y)$. Is it an "Isometry"? Why or why not?
2. Write an algebraic rule that would cause dilation by a factor of 3 and dilation by a factor of $1 / 2$.

| 3. Find the scale factor of the dilation that maps ABCD to A'B'C'D'. | 4. Find the scale factor of the dilation that maps ABC to $\mathrm{A}^{\prime} \mathrm{B}^{\prime} \mathrm{C}^{\prime}$. |
| :---: | :---: |
| 5. Graph the dilation of the object shown using a scale factor of 2. <br> Algebraic Rule: |  |
| 6. Graph the dilation of the object shown using a scale factor of $1 / 2$. <br> Algebraic Rule: |  |

## Applications:

7. The package for a model airplane states the scale is $1: 63$. The length of the model is 7.6 cm . What is the length of the actual airplane?
8. Another model airplane states the scale is $1: 96$. The length of the real airplane is 48 feet. What is the length of the model?

Graph a dilation of the figure using the given scale factor, $k$, with a center of $(0,0)$. Then write and label the vertices of the image.

1. $k=2$

2. $k=\frac{1}{4}$

3. $k=\frac{1}{2}$

4. $k=1 \frac{1}{2}$


## Determine whether the dilation from Figure A to Figure B is a reduction or

 an enlargement. Then, find the values of the variables.5. 


6.


Fill in the spaces:
7. Dilations create $\qquad$ figures.
8. Similar figures have $\qquad$ angles and $\qquad$ sides.
9. When a line segment does not pass through the center of dilation the line segment and its image are
$\qquad$ —.
10. When a line segment passes through the center of dilation, the segment and its image lie on the $\qquad$
$\qquad$ _.
11. The $\qquad$ is the ratio of the lengths of the corresponding sides.

Determine if the following scale factor would create an enlargement, a reduction, or an isometric figure. Explain your reasoning.
12. 3.5
13. $4 / 3$
14. 1
15. $7 / 8$

Given the point and its image, determine the scale factor.
18. $\mathrm{B}(2,5) \mathrm{B}^{\prime}(1,2.5)$
18. The sides of one right triangle are 6,8 , and 10 . The sides of another right triangle are 10,24 , and 26. Determine if the triangles are similar. If so, what is the ratio of corresponding sides?

Part 1: Graph the pre-image and image on the graph below AND label the vertices. Then, write a description of the transformation given by the coordinates below. Finally, write an algebraic rule for the transformation. (Hint: for help with the Algebraic Rules, look at earlier notes pages.)

The coordinates of $\triangle A B C$ are
$\mathrm{A}(2,1), \mathrm{B}(3,5), \mathrm{C}(0,4)$.
The coordinates of $\triangle A^{\prime} B^{\prime} C^{\prime}$ are
1.
$\mathrm{A}^{\prime}(2,-1), \mathrm{B}^{\prime}(3,-5), \mathrm{C}^{\prime}(0,-4)$.
Description: $\qquad$ -

Algebraic Rule: $\qquad$


The coordinates of $\triangle A B C$ are
$\mathrm{A}(-1,1), \mathrm{B}(0,3), \mathrm{C}(-3,1)$.
The coordinates of $\triangle A^{\prime} B^{\prime} C^{\prime}$ are
3. $\mathrm{A}^{\prime}(1,1), \mathrm{B}^{\prime}(3,0), \mathrm{C}^{\prime}(1,3)$.

Description: $\qquad$
Algebraic Rule: $\qquad$


The coordinates of $\triangle A B C$ are
$\mathrm{A}(-2,3), \mathrm{B}(4,0), \mathrm{C}(-1,-4)$.
The coordinates of $\triangle A^{\prime} B^{\prime} C^{\prime}$ are
2. $\mathrm{A}^{\prime}(0,0), \mathrm{B}^{\prime}(6,-3), \mathrm{C}^{\prime}(1,-7)$.

Description: $\qquad$
Algebraic Rule: $\qquad$


The coordinates of $\triangle A B C$ are
$\mathrm{A}(-3,0), \mathrm{B}(-2,3), \mathrm{C}(1,-3)$.
The coordinates of $\triangle A^{\prime} B^{\prime} C^{\prime}$ are
4. $\mathrm{A}^{\prime}(6,0), \mathrm{B}^{\prime}(4,-6), \mathrm{C}^{\prime}(-2,6)$.

Description: $\qquad$
Algebraic Rule: $\qquad$


Part 2: Given the description, write an algebraic rule to represent the transformation. Then graph the pre-image and image on the graph below. Use $\Delta \mathbf{A B C}$ with $\mathrm{A}(2,-2), \mathrm{B}(3,1)$, and $\mathrm{C}(1,2)$.
5) $\triangle A B C$ is dilated by 2 about the origin by a factor of 2 about the origin


Algebraic Rule: $\qquad$
7) $\Delta \mathbf{A B C}$ is reflected over $y=-x$ and moved up 2


Algebraic Rule: $\qquad$
9) $\triangle \mathrm{ABC}$ is reflected over the $y$-axis then dilated by a factor of 2 about the origin


Algebraic Rule: $\qquad$
6) $\triangle A B C$ is rotated $180^{\circ}$ then dilated


Algebraic Rule: $\qquad$
8) $\triangle \mathbf{A B C}$ is moved up 4 and 2 to the right


Algebraic Rule: $\qquad$
10) $\triangle A B C$ is reflected over the $x$-axis, then dilated by $1 / 2$ (about the origin), then moved down

2 and left 1.


Algebraic Rule: $\qquad$

